

# How do we detect photons?

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# Self-introduction

- Researcher of high energy physics (experiment)
- In the past,
  - Neutrino and nucleus
  - Polarized protons
  - Heavy ions

# In short

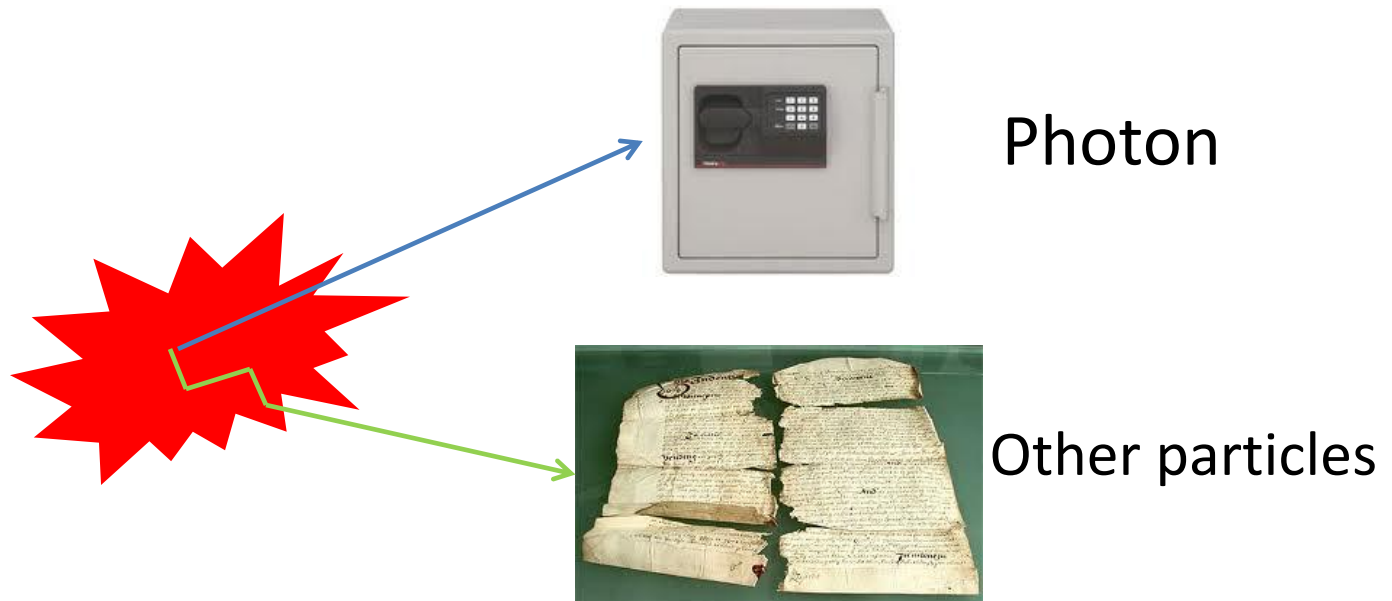


Hit them, collect debris, imagine what happened.  
A lot of events.

\*) Difference:  $E=mc^2$

# Photon in high energy physics

- The photon is an important probe.
- Since the photon doesn't feel the strong force, it brings information undisturbed from the collision.



# Goal for today

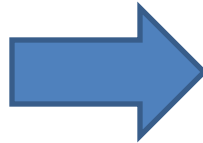
- What is photon?
- Photon interactions
- What is Electromagnetic Calorimeter?
- Application example (PHENIX experiment)

Feel free to ask any question.

# Photon (= EM wave)

A high frequency end of the electromagnetic wave.

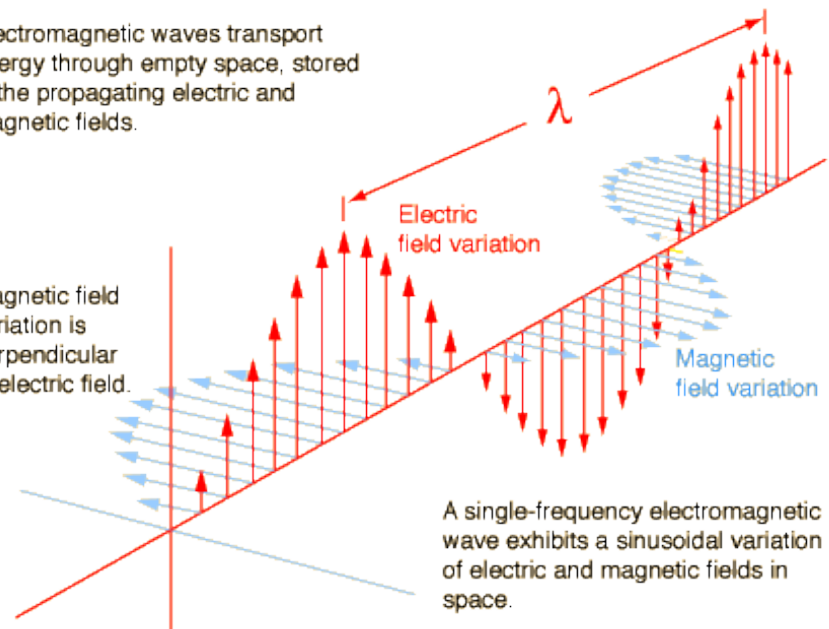
$$\begin{aligned} \text{rot} \mathbf{E}(\mathbf{x}, t) + \frac{\partial \mathbf{B}(\mathbf{x}, t)}{\partial t} &= 0, \\ \text{rot} \mathbf{H}(\mathbf{x}, t) - \frac{\partial \mathbf{D}(\mathbf{x}, t)}{\partial t} &= 0, \\ \text{div} \mathbf{D}(\mathbf{x}, t) &= 0, \\ \text{div} \mathbf{B}(\mathbf{x}, t) &= 0. \end{aligned}$$



$$\begin{aligned} \text{rot}(\Delta - \epsilon\mu \frac{\partial^2}{\partial t^2}) \mathbf{E}(\mathbf{x}, t) &= 0, \\ \text{rot}(\Delta - \epsilon\mu \frac{\partial^2}{\partial t^2}) \mathbf{B}(\mathbf{x}, t) &= 0 \end{aligned}$$

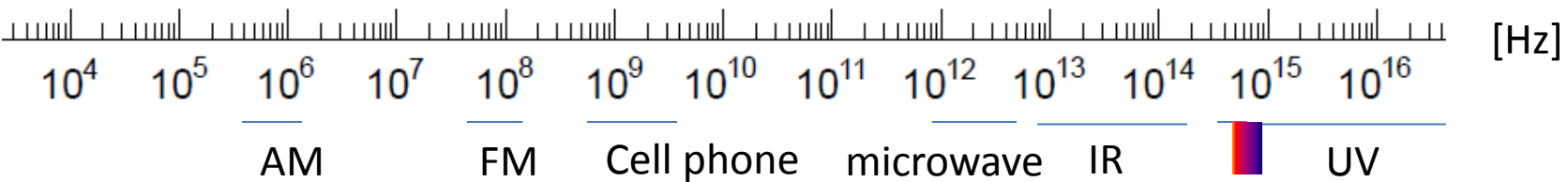
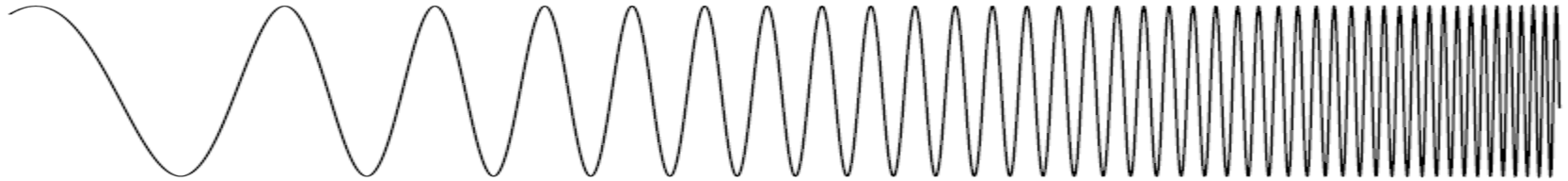
Electromagnetic waves transport energy through empty space, stored in the propagating electric and magnetic fields.

Magnetic field variation is perpendicular to electric field.



A single-frequency electromagnetic wave exhibits a sinusoidal variation of electric and magnetic fields in space.

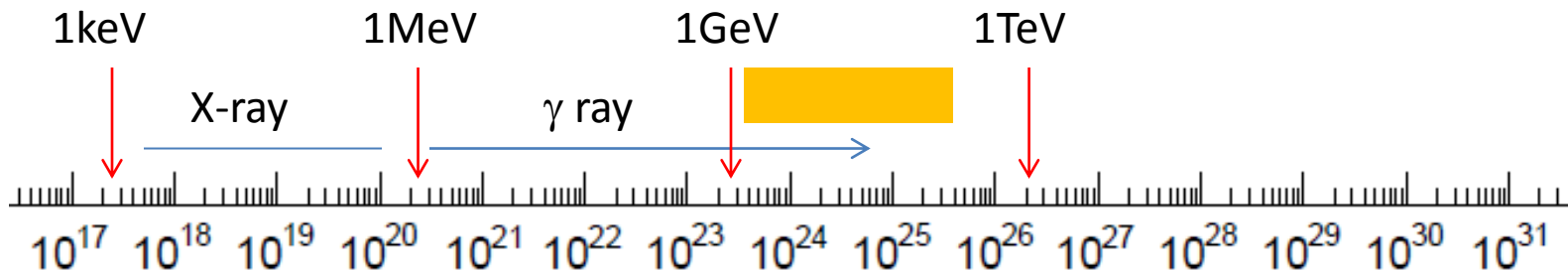
# Photon (=EM wave)



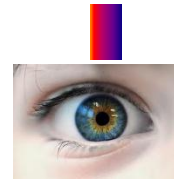
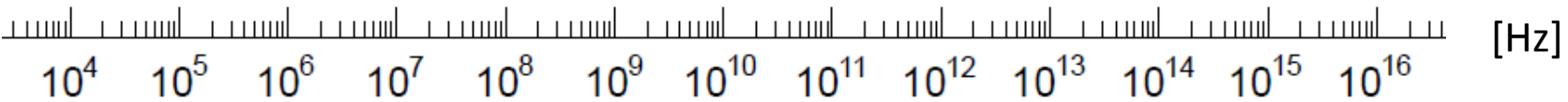
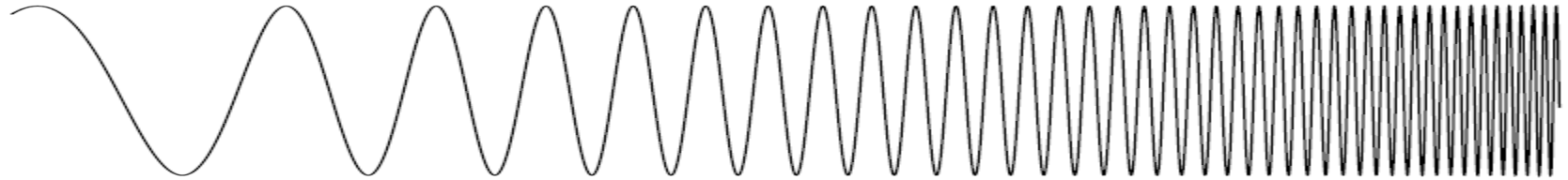
$$E = h\nu$$

$$h = 6.6 \times 10^{-34} \text{ [Js]}$$

$$1 \text{ eV} = 1.6 \times 10^{-19} \text{ [J]}$$



# Photon detector examples



1keV

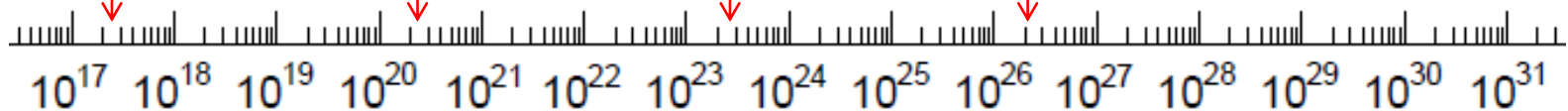


1MeV

1GeV



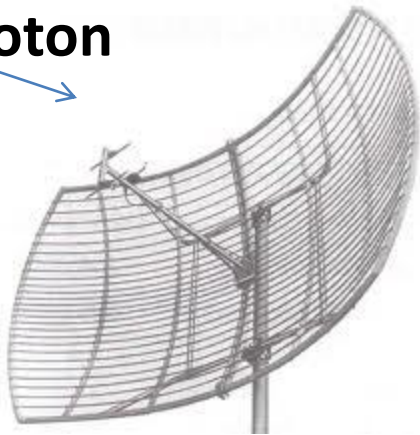
1TeV





# Detection principle

Photon



Sensor



Amplifier



Measure

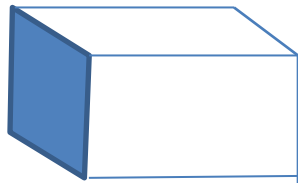
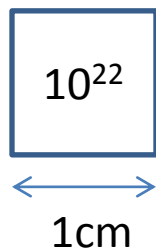
\*) It is not specific to the photon detection.

# Strength of interactions

- Image: wave  $\rightarrow$  particle
- Cross section (barn)

$$1 \text{ barn} = 10^{-28} \text{ m}^2 = 10^{-24} \text{ cm}^2$$

Ex) Lead 100barn =  $10^{-22} \text{ cm}^2$

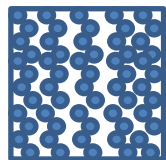
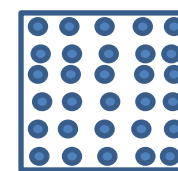
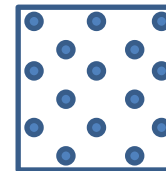
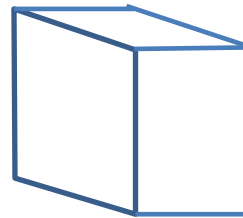
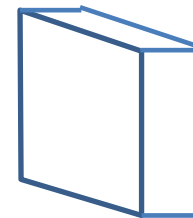
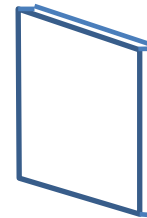


$$10^{22}/N_A \cdot A/\rho = 3 \text{ [cm]}$$

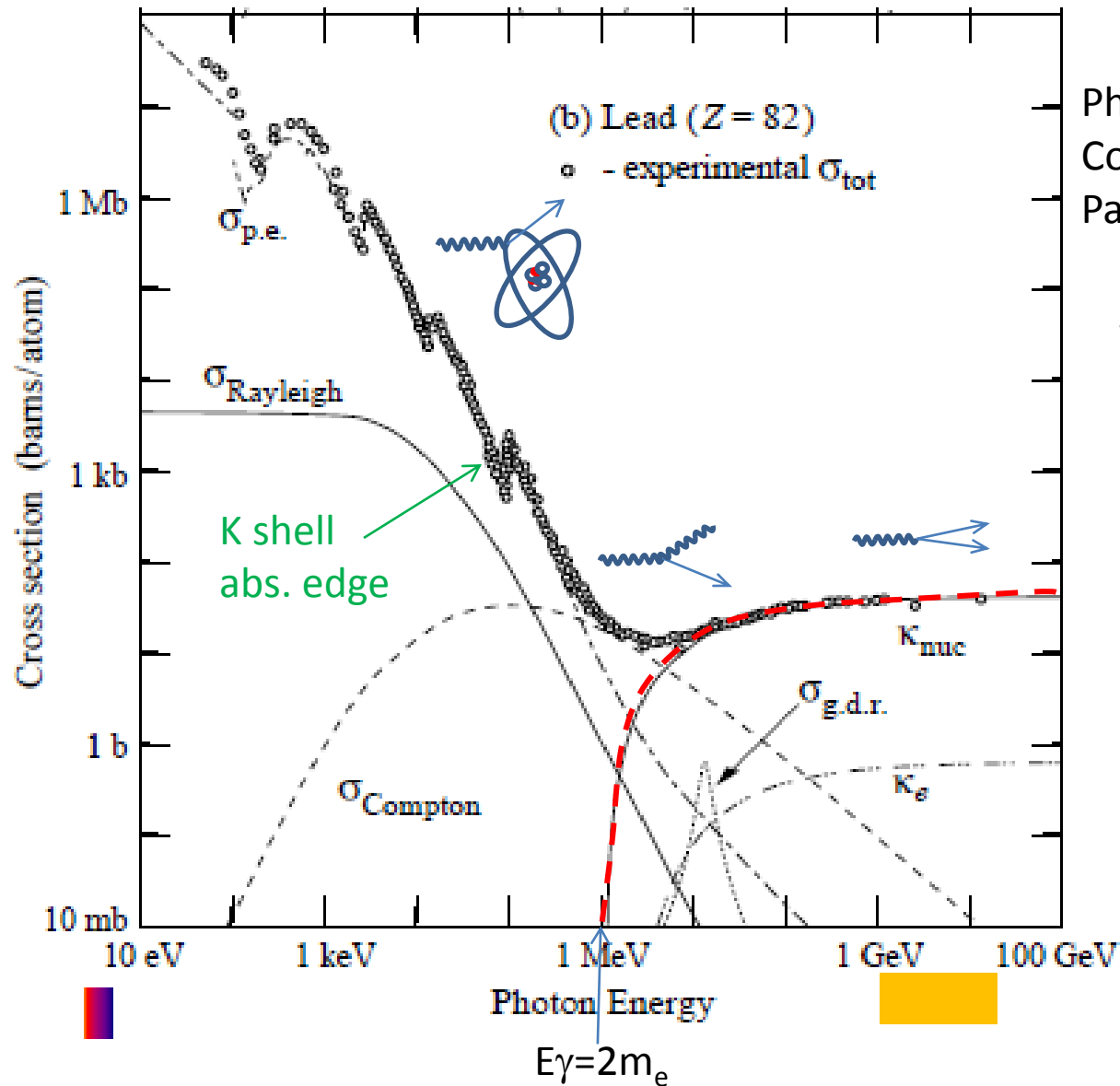
$$\rho = 11.35 \text{ g/cm}^3$$

$$A = 207.2$$

$$N_A = 6.02 \cdot 10^{23}$$



# Cross section of Lead

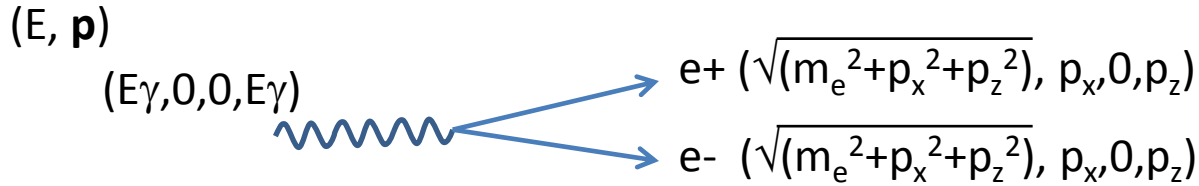


Photoelectric effect  
Compton scattering  
Pair creation, photon conversion

When  $E\gamma > 2m_e$   
Electrons become friend.

# Photon conversion

It happens only in the material.



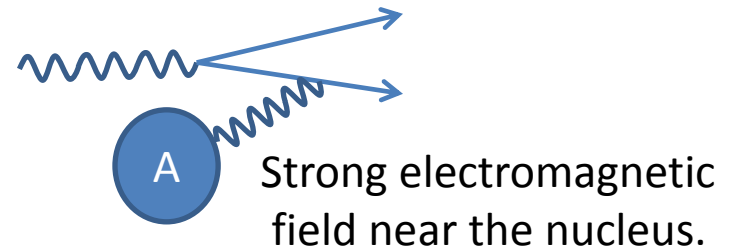
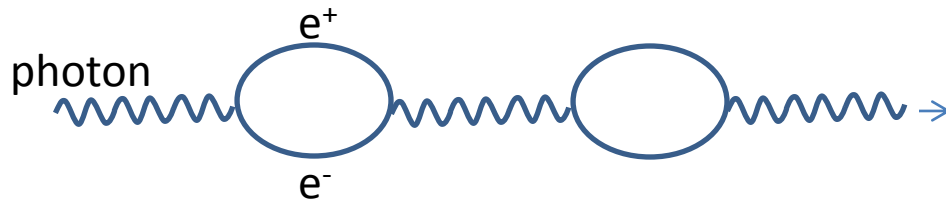
Conservations

Momentum  $E_\gamma = 2p_z$

Energy  $E_\gamma = 2\sqrt{m_e^2 + p_x^2 + p_z^2}$

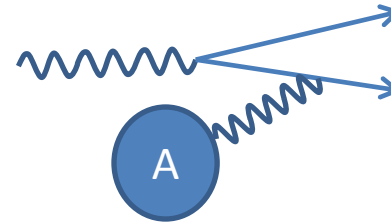
Even  $p_x=0$ , they can not consist together.

It needs a help from the nucleus.



# Electromagnetic shower

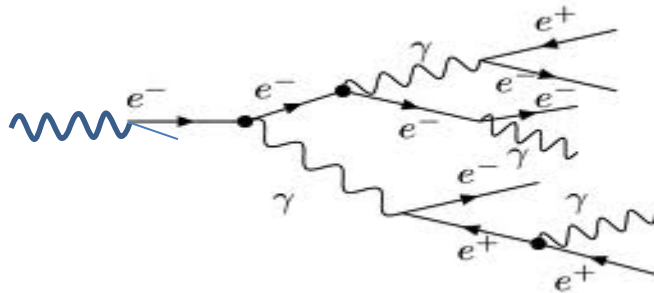
Photon converts to electrons



Electrons also emit a photon  
(Bremsstrahlung)



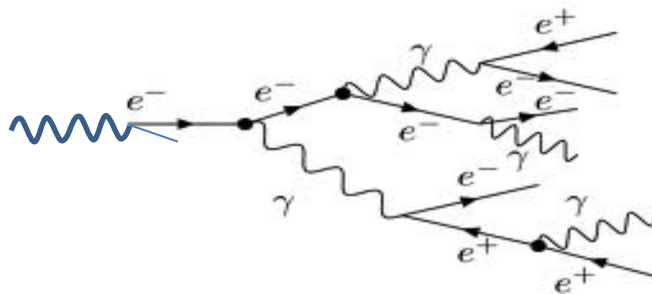
Electromagnetic cascade shower



(This particular picture is an image.)

# Electromagnetic shower

Electromagnetic cascade shower



Typical length for one generation (= radiation length,  $X_0$ )      $X_0 \sim 180A/Z^2$  [g/cm<sup>2</sup>]

## ■ Development of cascade shower

- $N(t) = 2^t$
- $E(t)/\text{particle} = E_0 \times 2^{-t}$       $t$  in radiation length

## ■ Process continues until $E(t) < E_c$

- $T_{\max} = \ln(E_0/E_c)/\ln 2$

$$N_{\text{total}} = \sum_{t=0}^{t_{\max}} 2^t = 2^{t_{\max}+1} - 1 \approx 2 \cdot 2^{t_{\max}} = 2 \frac{E_0}{E_c}$$

$E_c$ : critical energy  
 radiation loss = ionization loss  
 depends on the material.  
 $E_c \sim 550 \text{ MeV} / Z$

## ■ Moliere radius

$$R_M = \frac{21 \text{ MeV}}{E_c} X_0 [\text{g/cm}^2]$$

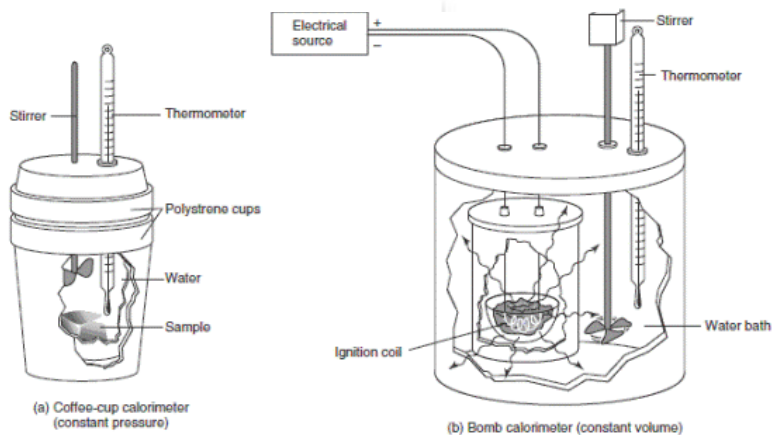
90% included

# What happens at end of day?



## Radiation

Photons with a long absorption length come out.



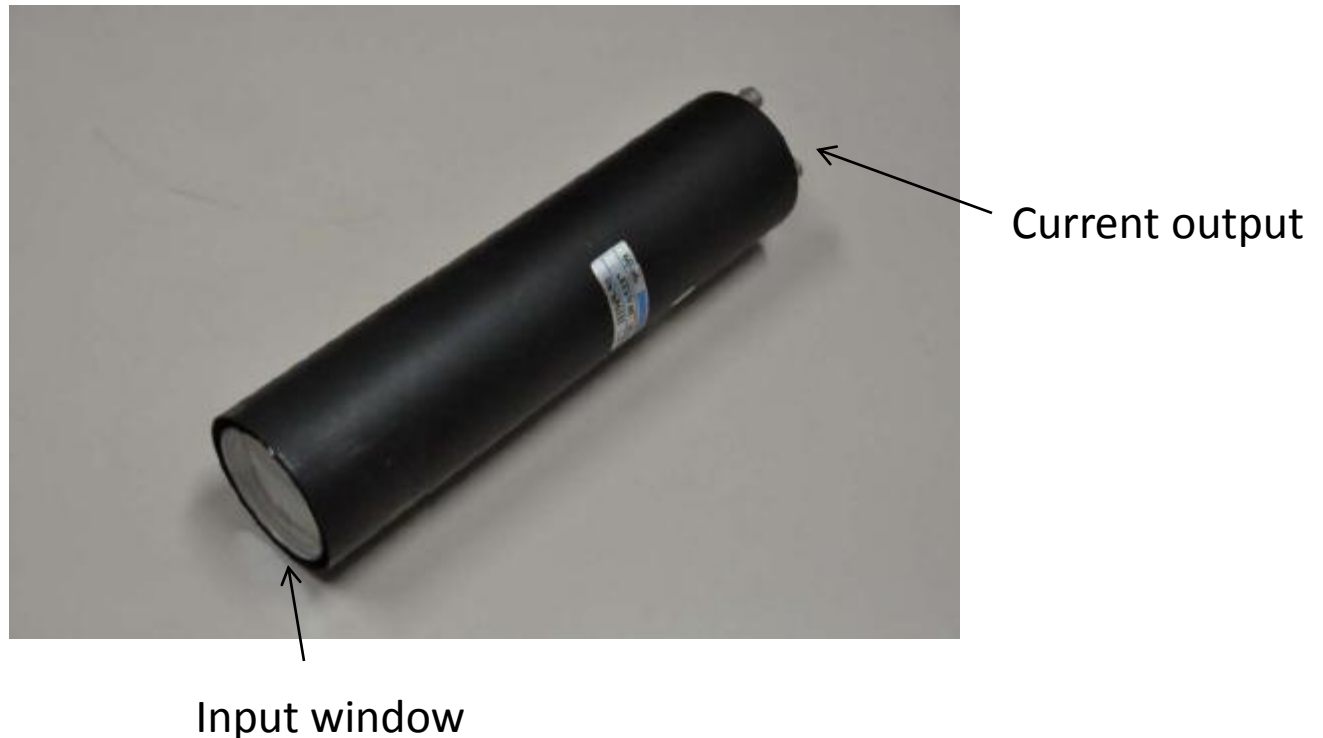
$$\propto E\gamma$$

=Electromagnetic Calorimeter

Figure 9.1 Two types of calorimeters.

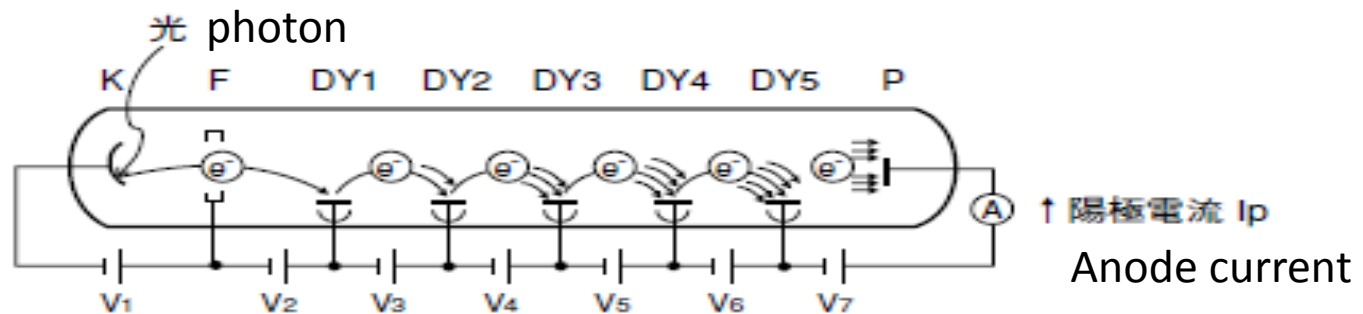
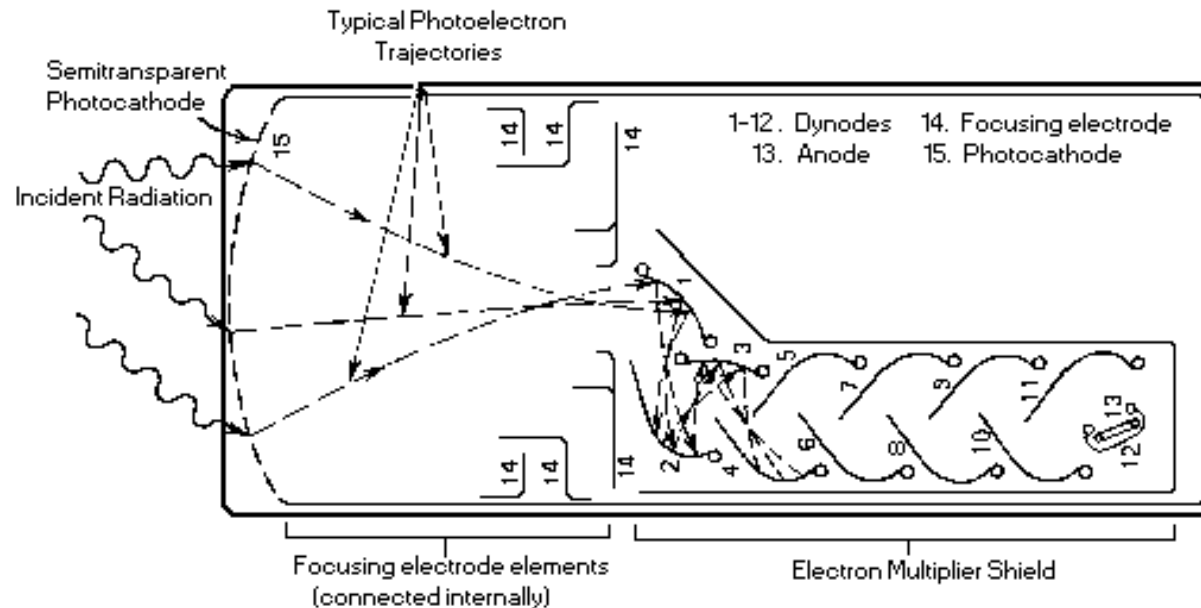
# Photomultiplier Tube (PMT)

- One of widely used detector. You might be already familiar with it.



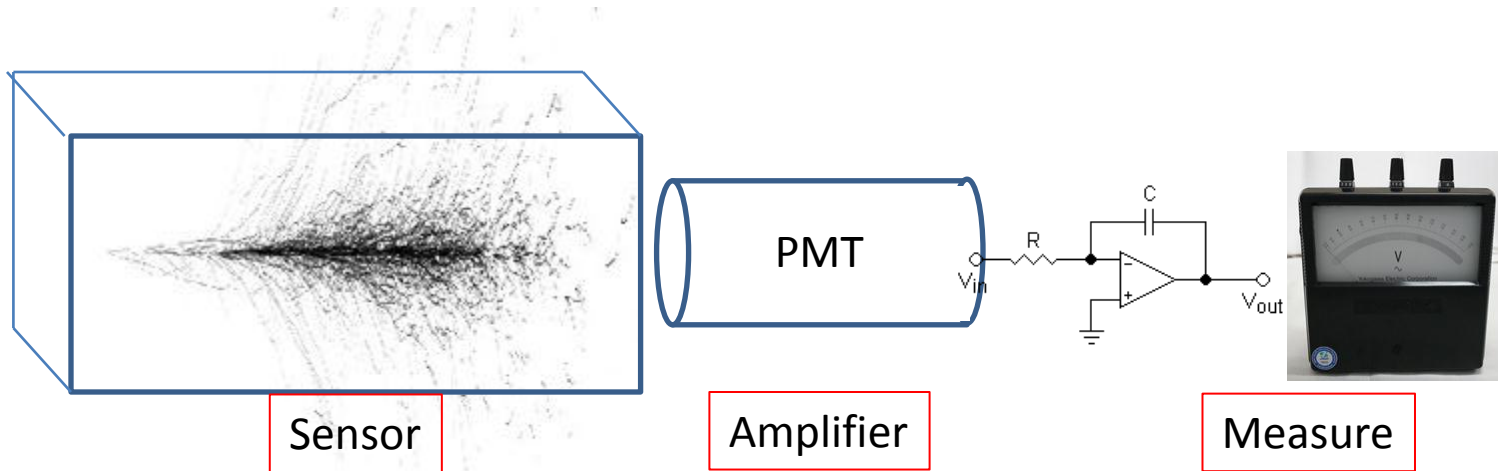


# PMT structure

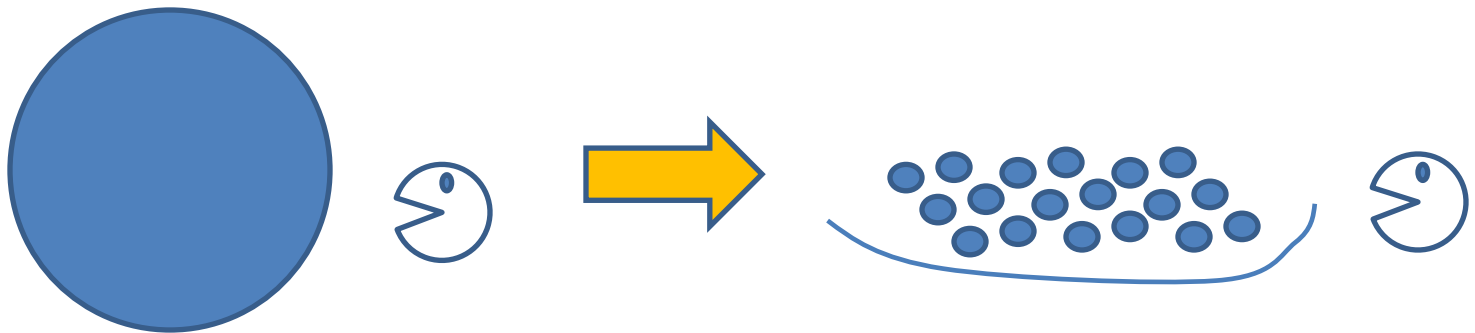


# Detection principle summary

- Electromagnetic Calorimeter (EMCal)

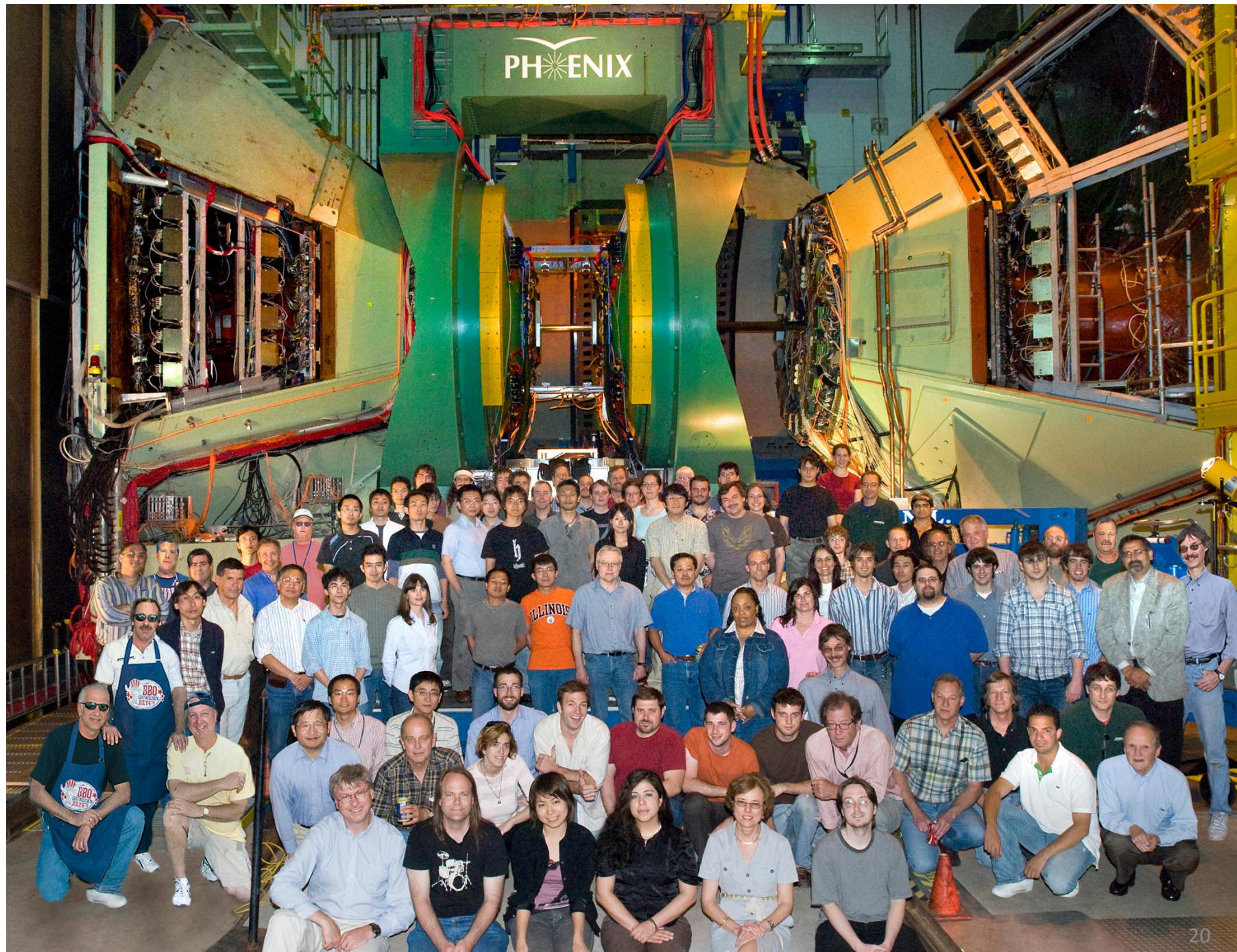


Image



# **APPLICATION (PHENIX EXPERIMENT)**

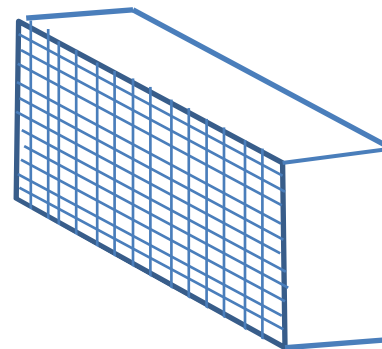
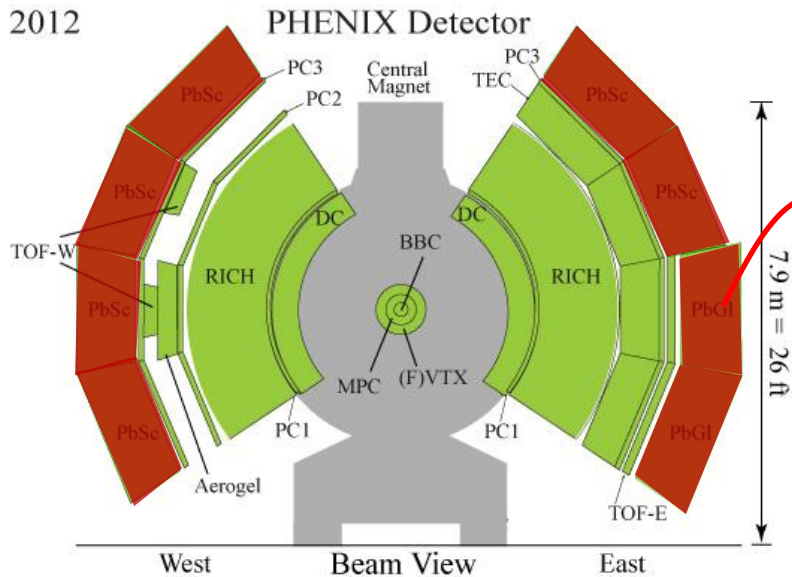






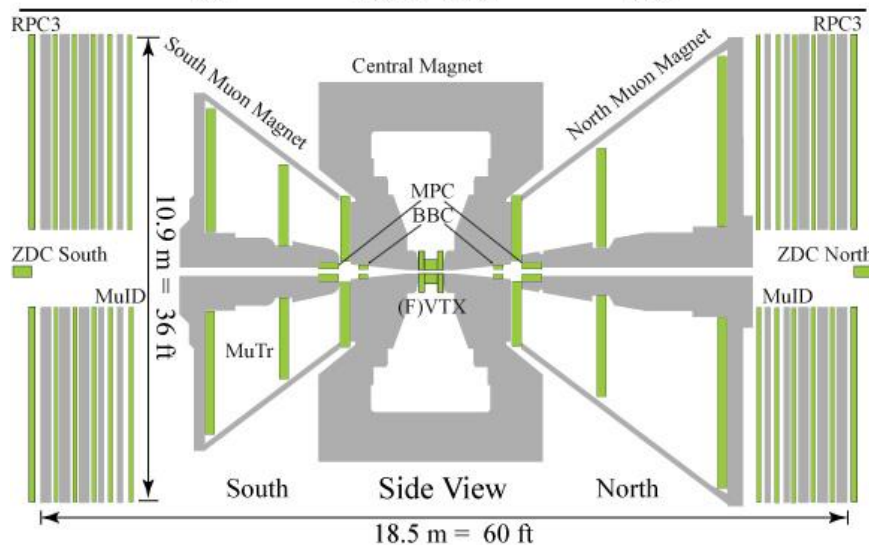
# PHENIX EMCal

2012



=

Many sets of

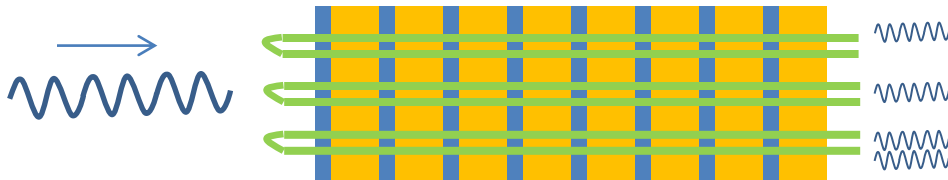
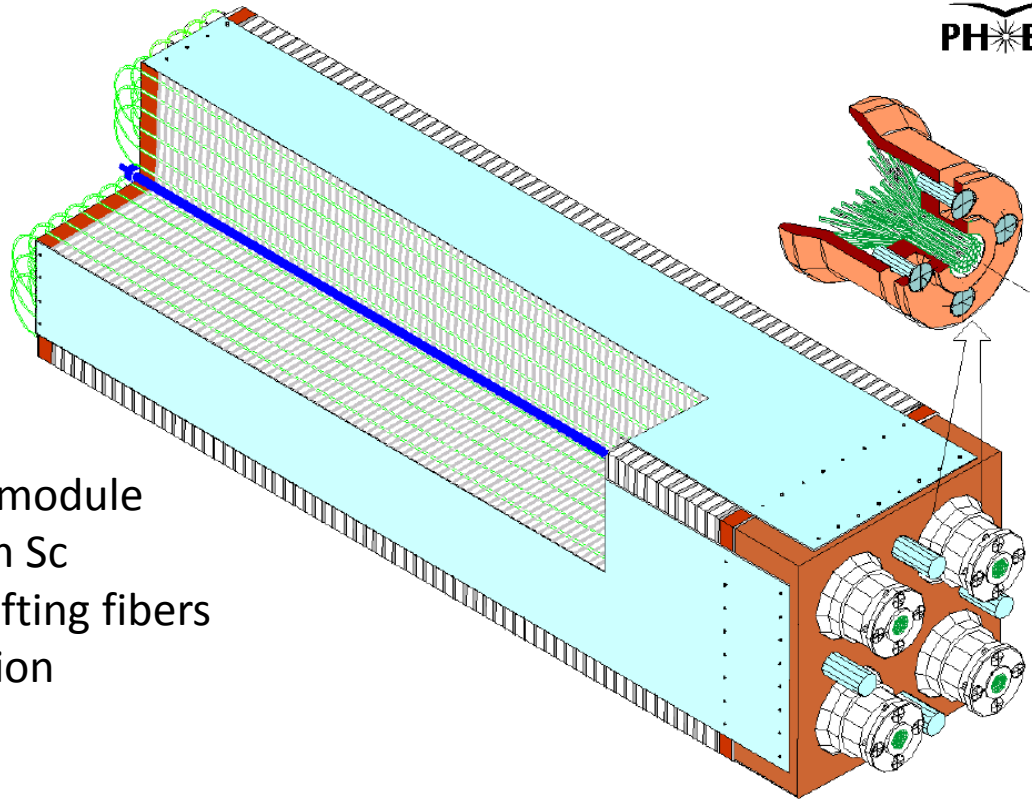


# EMCal types

2 sectors : PbGl (crystal)

6 sectors: PbSc (sampling)

PbSc Quad tower module  
1.5mm Pb, 4mm Sc  
Wavelength shifting fibers  
for light collection



# What can we learn from old detectors?

PHENIX design was in 1980-1990's

- Since the basic photon interaction is the same, detectors are not very different.
- The size is different.
- For the detection principle, old text books are still useful.



# Energy resolution ( $\sigma_E/E$ )

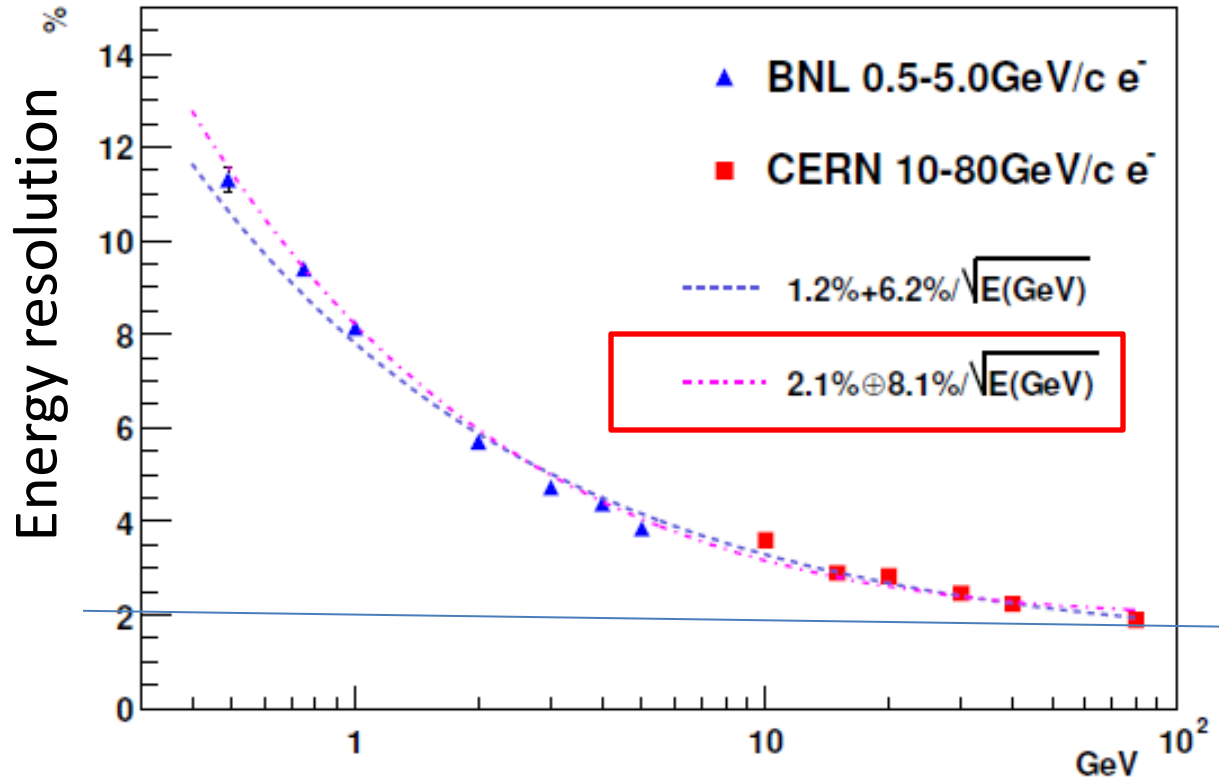
- (a) Sampling Fluctuations
- (b) Noise, Pedestal Fluctuations
- (c) Non uniformities, Calibration errors, Incomplete shower containment (leakage)

$$\frac{\sigma}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

$$\sigma_{total} = \sqrt{\sigma_a^2 + \sigma_b^2 + \sigma_c^2}$$



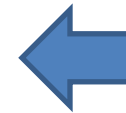
$$\sigma_E/E$$



Test beam result:

NIMA499 521

PHENIX PbSc EMCAL



Usually it gives the best performance with a subset of detector.

$$\frac{\sigma}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

The “c” term is often dominant in the real experiment.

# Calibration

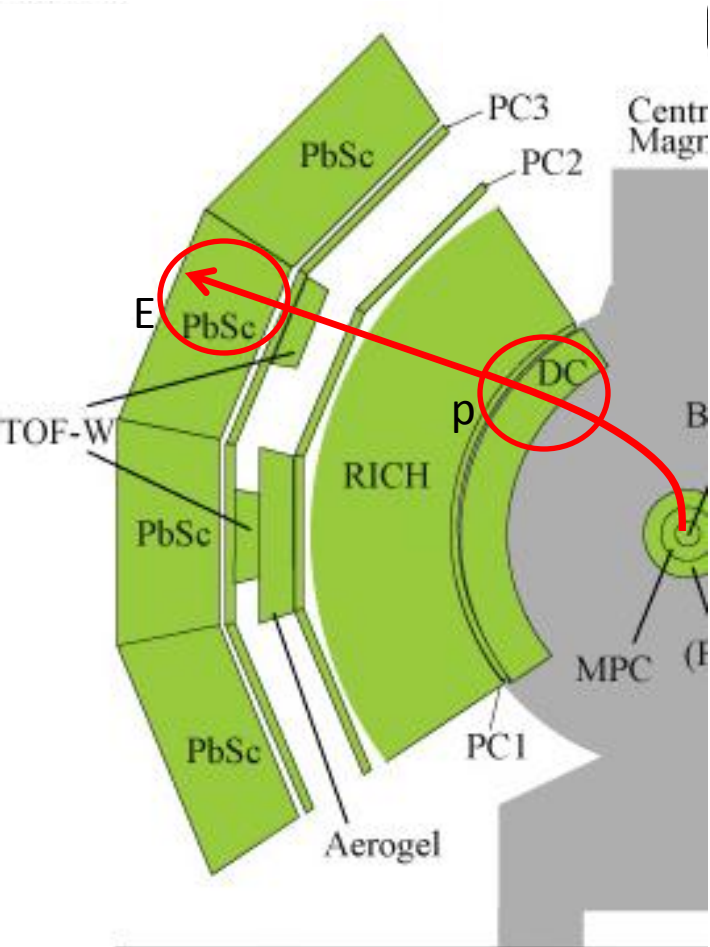
- Energy scale (Signal  $\rightarrow$  Energy)
- Uniformity (25k channels) (It determines the constant term)
- Methods
  - Based on other measurements
  - Based on physics processes

In the following slides, I will show various methods.  
(a few pages/method)

# Based on other measurements

- Test beam
- Electron Energy/Momentum ratio
  - The tracking system measures the momentum.
- Laser light input
  - PIN photo diode for the light intensity.

# Electron $E/p$ (=Energy/Momentum)



A electron is bent by the magnetic field.  
The momentum measured by tracking.

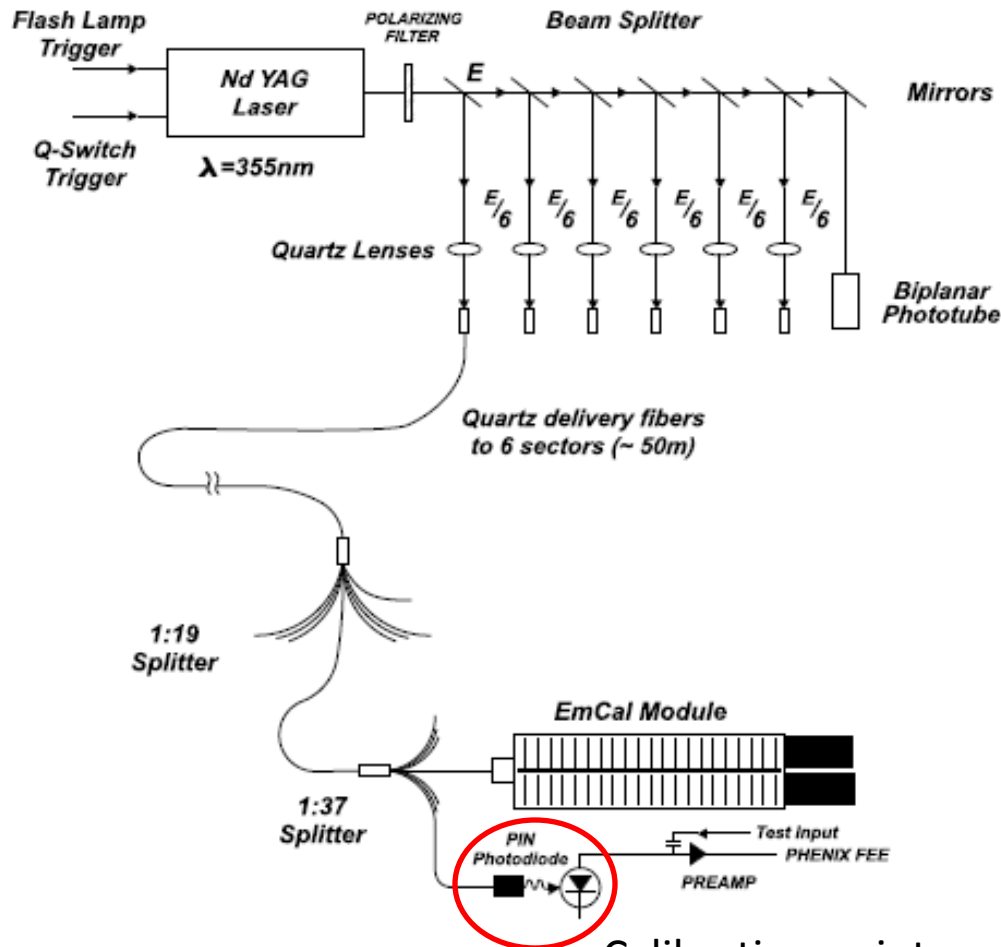
Electron  $\sim$  photon response

Compare energy (E) and momentum (p)  
(The electron mass is negligible. So  $E/p=1$ )

Issue : low statistics

# Laser input

For the uniformity



PIN photodiode  
didn't work as we expected.

Currently the system is used  
to check the relative time  
dependence of each tower.

Calibration point

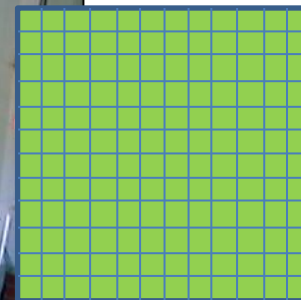
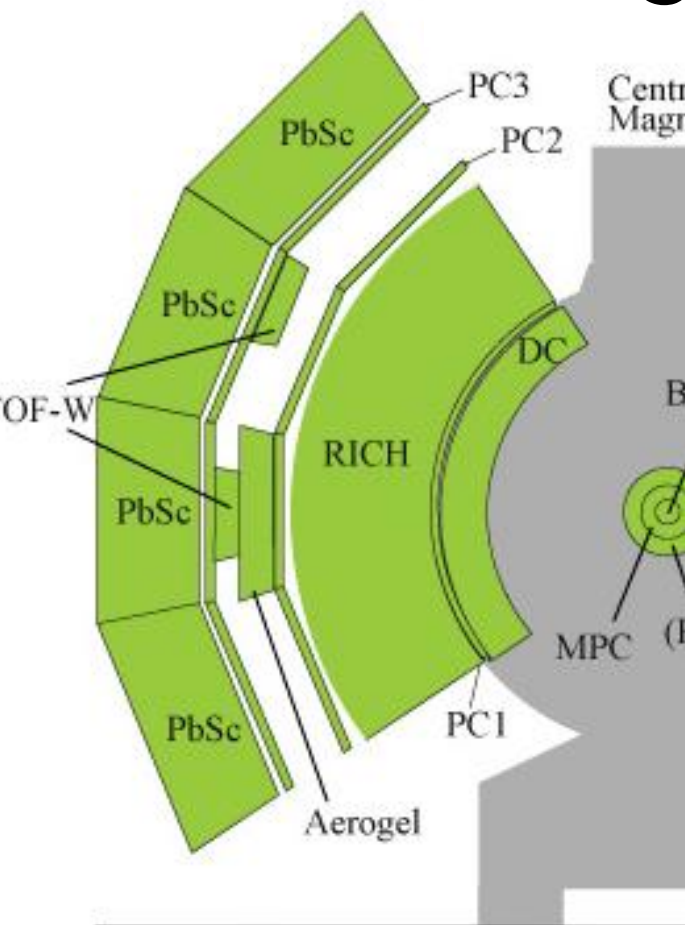
Fig. 2. Laser light distribution and monitoring system

# Based on Physics processes

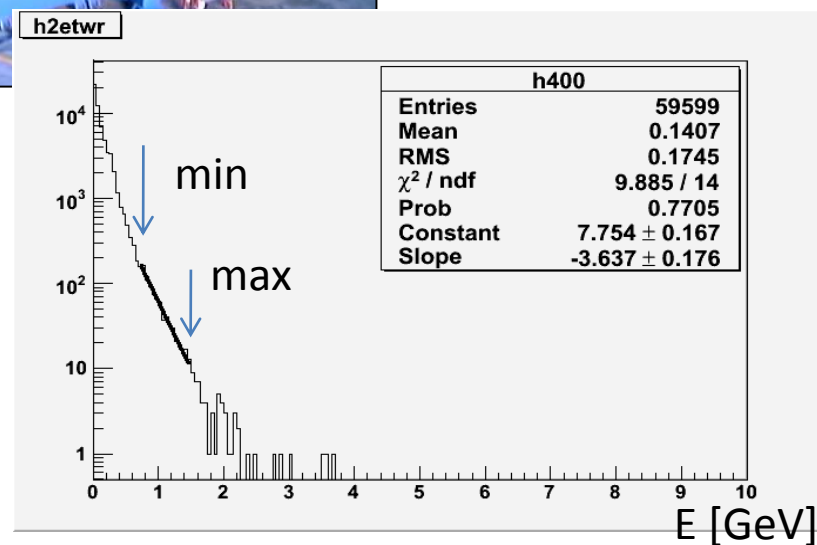
- Spectra shape
- Minimum ionizing particle (MIP)
- $\pi^0$  decay, mass

# Spectra slope

for uniformity

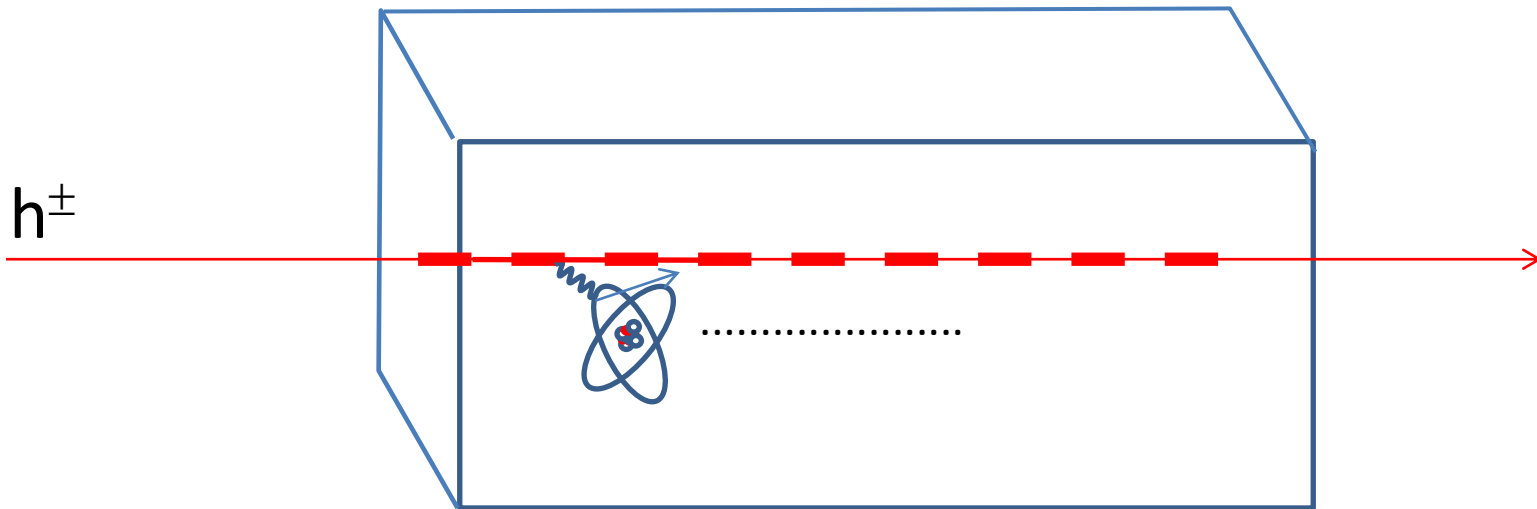


For each tower.



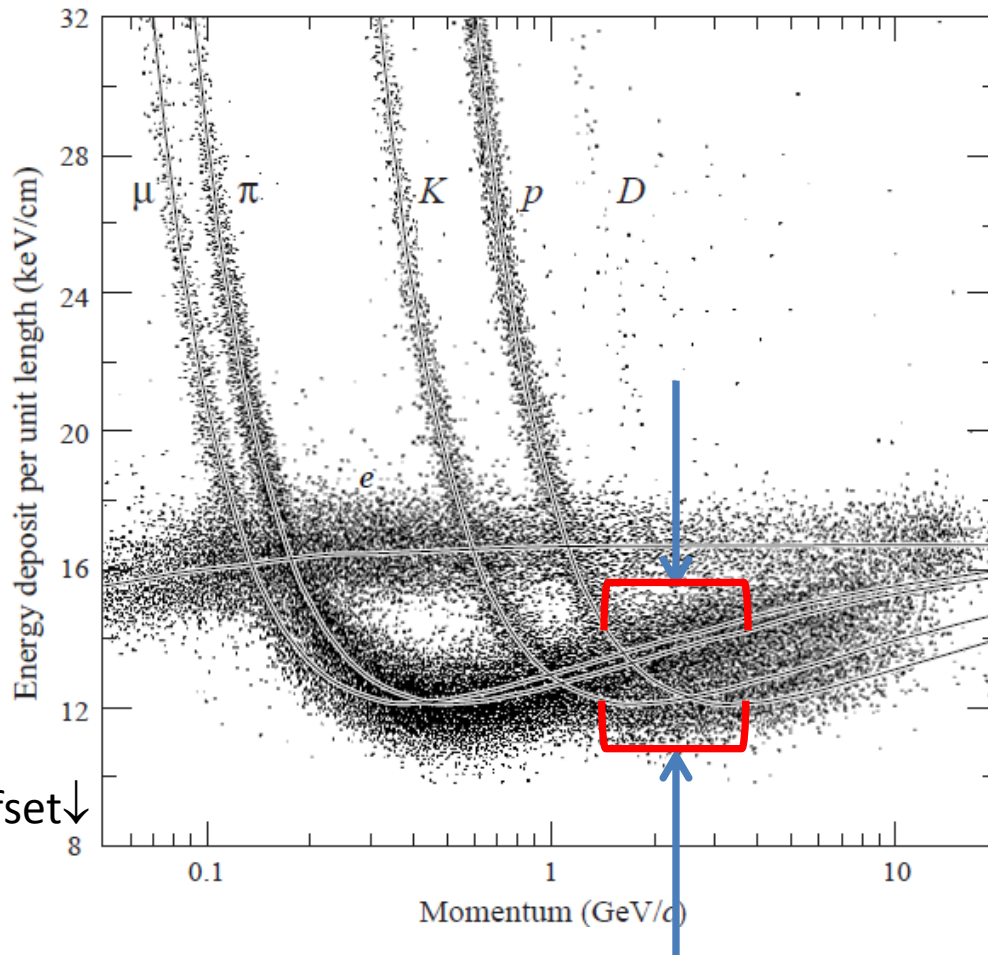
# MIP (Minimum ionizing particle)

~60% of charged particles penetrate PHENIX EMCal.  
As it gets through the material, it kicks electrons of atoms. (Ionization)





# MIP (Minimum ionizing particle)



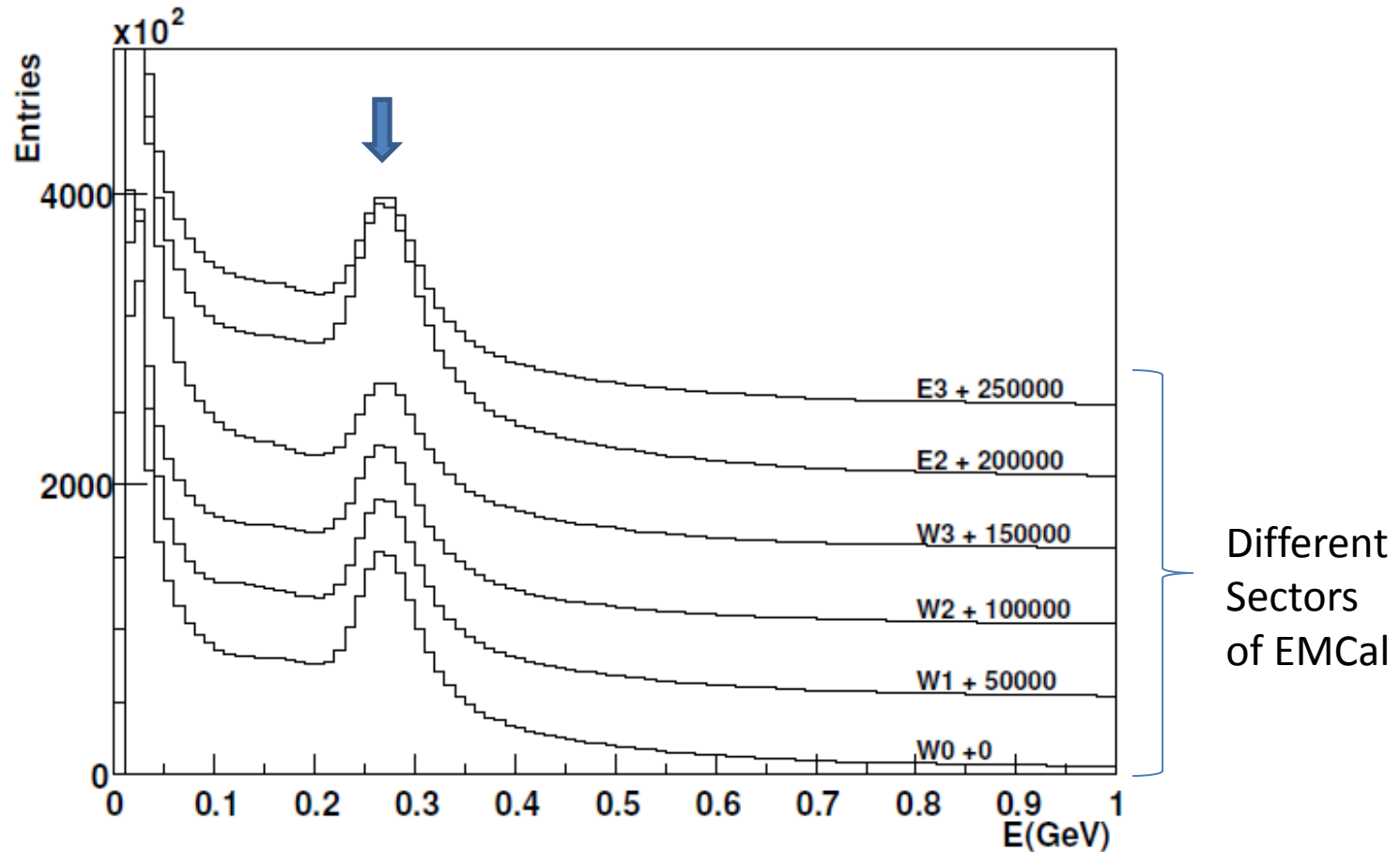
From particle data group  
This plot is for 8.5atm Ar-CH4 80:20

The point here is the weak  
dependence of momentum  
and particle species.

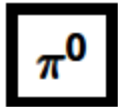
Typical MIP is  $1.5\text{MeV}/(\text{g}/\text{cm}^2)$

# MIP peak in the EMCal

For scale and uniformity



# $\pi^0$ mass



Mass  $m = 134.9766 \pm 0.0006$  MeV (S = 1.1)

$m_{\pi^\pm} - m_{\pi^0} = 4.5936 \pm 0.0005$  MeV

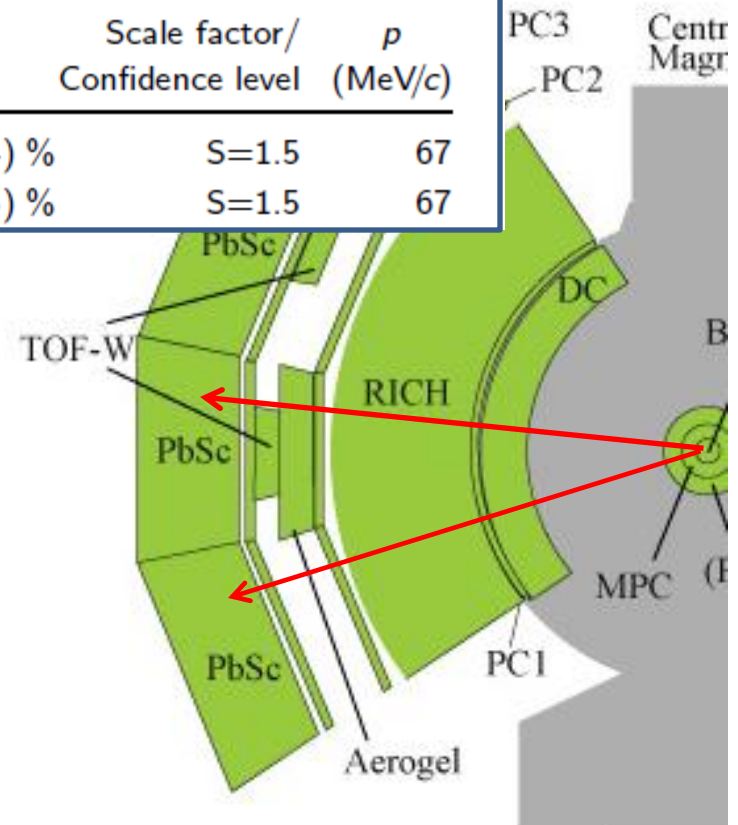
Mean life  $\tau = (8.4 \pm 0.4) \times 10^{-17}$  s (S = 2.3)

$c\tau = 25.2$  nm

## $\pi^0$ DECAY MODES

|                  | Fraction ( $\Gamma_i/\Gamma$ ) | Scale factor/<br>Confidence level | $\rho$<br>(MeV/c) |
|------------------|--------------------------------|-----------------------------------|-------------------|
| $2\gamma$        | $(98.823 \pm 0.034) \%$        | S=1.5                             | 67                |
| $e^+ e^- \gamma$ | $(1.174 \pm 0.035) \%$         | S=1.5                             | 67                |

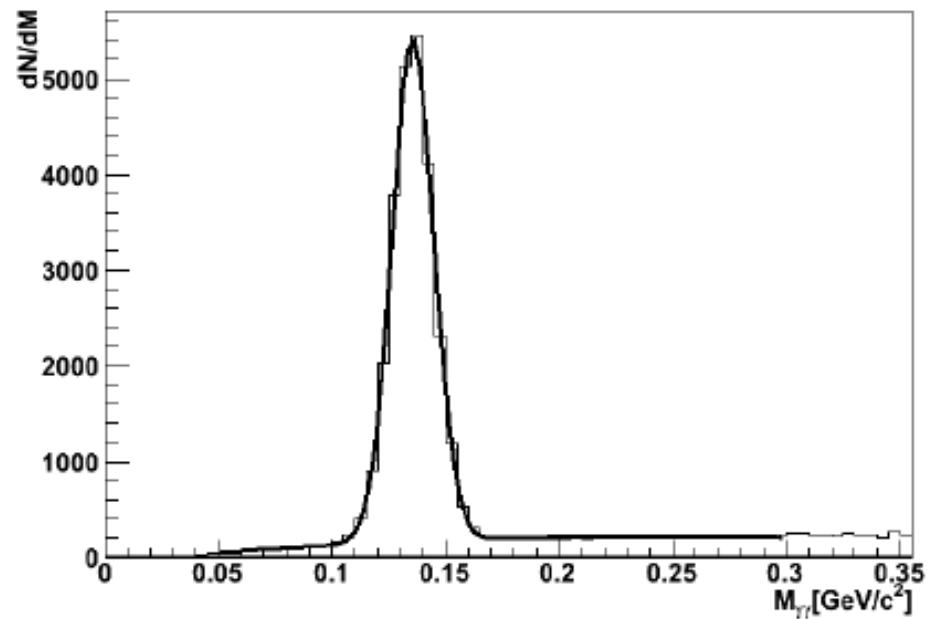
$\pi^0 \rightarrow \gamma\gamma$



# $\pi^0$ mass in the EMCAL

For scale and uniformity

$$M_{\gamma\gamma} = 2 \sin \frac{\theta}{2} \sqrt{E_1 E_2}$$



Get the mass peak for every tower.  
We applied an iterative process.

# Always there are details

- Electron E/p : difference to photon
- Slope : incident angle dependence
- MIP : Only at low E point.
- $\pi^0$  mass : shift due to the slope and the finite energy resolution (smearing). The position resolution eventually goes in.

# PHENIX calibration summary

| Method        | for               | Type       | Comment          |
|---------------|-------------------|------------|------------------|
| Electron E/p  | Scale             | Other det. | Low Stat         |
| Laser input   | Uniformity        | Other det. | Limited usage    |
| Spectra slope | Uniformity        | Physics    | Angle dependence |
| MIP           | Scale, Uniformity | Physics    | One low E point  |
| $\pi^0$ mass  | Scale, Uniformity | Physics    | Smearing         |

It is important to have multiple methods for the cross check.

# Summary

- Photon is an important probe.
- It is a particle style of electromagnetic wave.
- Photon and electron are twins.
- Photon and electron produce a shower.
- Electromagnetic calorimeter is used to measure photons in high energy experiment.
- Calibrations are the key for the performance.

# What I didn't cover

- Position resolution
- Timing resolution
- A lot of other techniques